## B.Sc. Semester-IV <br> Core Course-VIII (CC-VIII) Inorganic Chemistry

## I. Coordination Chemistry 9. The Angular Overlap Method



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## I. Coordination Chemistry: 20 Lectures

Werner's theory, valence bond theory (inner and outer orbital complexes), electroneutrality principle and back bonding. Crystal field theory, measurement of $10 \mathrm{Dq}(\Delta \mathrm{o})$, CFSE in weak and strong fields, pairing energies, factors affecting the magnitude of $10 \mathrm{Dq}(\Delta \mathrm{o}, \Delta \mathrm{t})$. Octahedral vs. tetrahedral coordination, tetragonal distortions from octahedral geometry Jahn-Teller theorem, square planar geometry. Qualitative aspect of Ligand field and MO Theory.

IUPAC nomenclature of coordination compounds, isomerism in coordination compounds. Stereochemistry of complexes with 4 and 6 coordination numbers. Chelate effect, polynuclear complexes, Labile and inert complexes.

## Coverage:

1. The Angular Overlap Method

## Angular Overlap Method

An attempt to systematize the interactions for all geometries.




The various complexes may be fashioned out of the ligands above

Linear: 1,6
Trigonal: 2,11,12
T-shape: 1,3,5

Tetrahedral: 7,8,9,10
Square planar: 2,3,4,5
Trigonal bipyramid: 1,2,6,11,12

## Angular Overlap Method

All $\sigma$ interactions with the ligands are stabilizing to the ligands and destabilizing to the $d$ orbitals. The interaction of a ligand with a d orbital depends on their orientation with respect to each other, estimated by their overlap which can be calculated.

The total destabilization of a d orbital comes from all the interactions with the set of ligands.

For any particular complex geometry we can obtain the overlaps of a particular d orbital with all the various ligands and thus the destabilization.

| ligand | $d_{z 2}$ | $d_{x 2-y 2}$ | $d_{x y}$ | $d_{x z}$ | $d_{y z}$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 1 | $1 e_{\sigma}$ | 0 | 0 | 0 | 0 |
| 2 | $1 / 4$ | $3 / 4$ | 0 | 0 | 0 |
| 3 | $1 / 4$ | $3 / 4$ | 0 | 0 | 0 |
| 4 | $1 / 4$ | $3 / 4$ | 0 | 0 | 0 |
| 5 | $1 / 4$ | $3 / 4$ | 0 | 0 | 0 |
| 6 | 1 | 0 | 0 | 0 | 0 |
| 7 | 0 | 0 | $1 / 3$ | $1 / 3$ | $1 / 3$ |
| 8 | 0 | 0 | $1 / 3$ | $1 / 3$ | $1 / 3$ |
| 9 | 0 | 0 | $1 / 3$ | $1 / 3$ | $1 / 3$ |
| 10 | 0 | 0 | $1 / 3$ | $1 / 3$ | $1 / 3$ |
| 11 | $1 / 4$ | $3 / 16$ | $9 / 16$ | 0 | 0 |
| 12 | $1 / 4$ | $3 / 16$ | $9 / 16$ | 0 | 0 |

Thus, for example a $d_{x 2-y 2}$ orbital is destabilized by $(3 / 4+6 / 16) e_{\sigma}=$ $18 / 16 \mathrm{e}_{\sigma}$ in a trigonal bipyramid complex due to $\sigma$ interaction. The $d_{x y}$, equivalent by symmetry, is destabilized by the same amount. The $d_{22}$ is destabililzed by $11 / 4 \mathbf{e}_{\sigma}$.

## Thank You



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